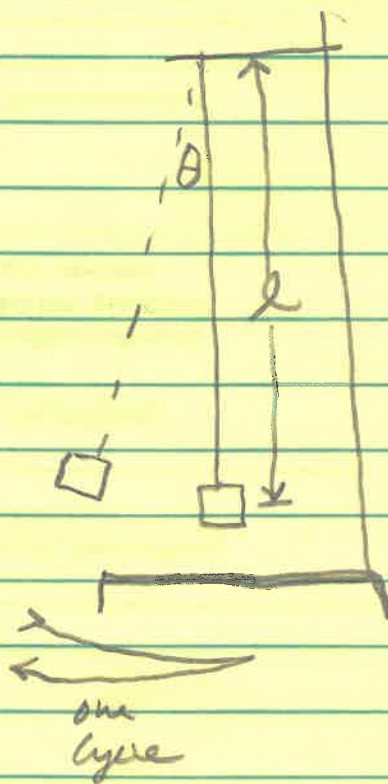


SHM FR

1) a. The period of a pendulum is 2π times the square root of the length of pendulum divided by the square root of the acceleration of gravity

b. Period of one Cycle T stopwatch
Length of Pendulum l meterstick

- 1) Set up pendulum
- 2) Measure l from pivot point to center of mass
- 3) Set pendulum in motion by raising mass $\theta = 2^\circ$ from center
- 4) Use timer to see how long it takes mass to make one cycle (T)
- 5) Repeat for different lengths of l .
- 6) Graph T^2 vs $4\pi^2 l$
Find slope and find its reciprocal. This is g



d. the sphere will displace downward with zero initial velocity and a downward acceleration equal to g .

c. i. $T_{\text{vert}} = T^2$ $T_{\text{horizon}} = 4\pi^2 l$

ii. $m = \frac{1}{g}$ so $\frac{1}{m} = g$

SHM FR

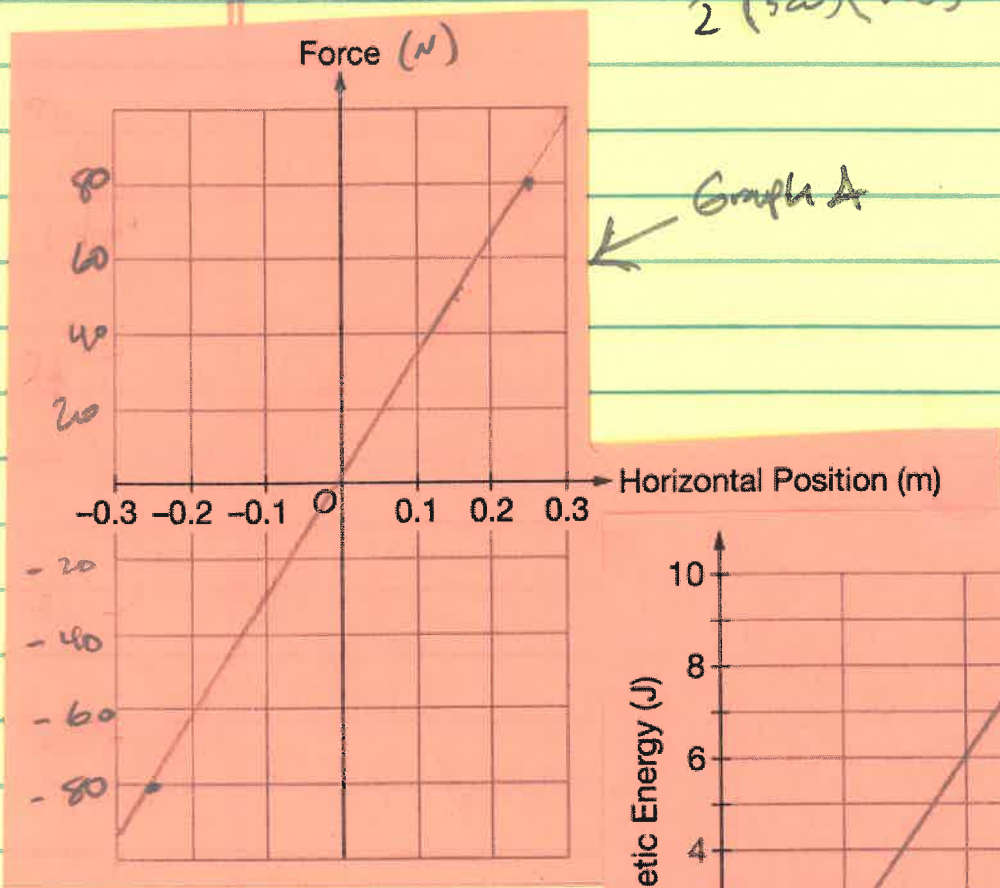
2) a. $U_s = \frac{1}{2} k x^2$
 $10 = \frac{1}{2} k (.25)^2$ $k = 320 \text{ N/m}$

graph $F = kx$ or $F = (320)x$ See Graph A

b. $T = 2\pi \sqrt{\frac{m}{k}} = 2\pi \sqrt{\frac{.4}{320}} = .222 \text{ sec}$

c. $PE = KE$ $\frac{1}{2} k x^2 = KE$
at $x = .25$ at $x = 0$
 $\frac{1}{2} (320) (.25)^2 = 10 \text{ J}$

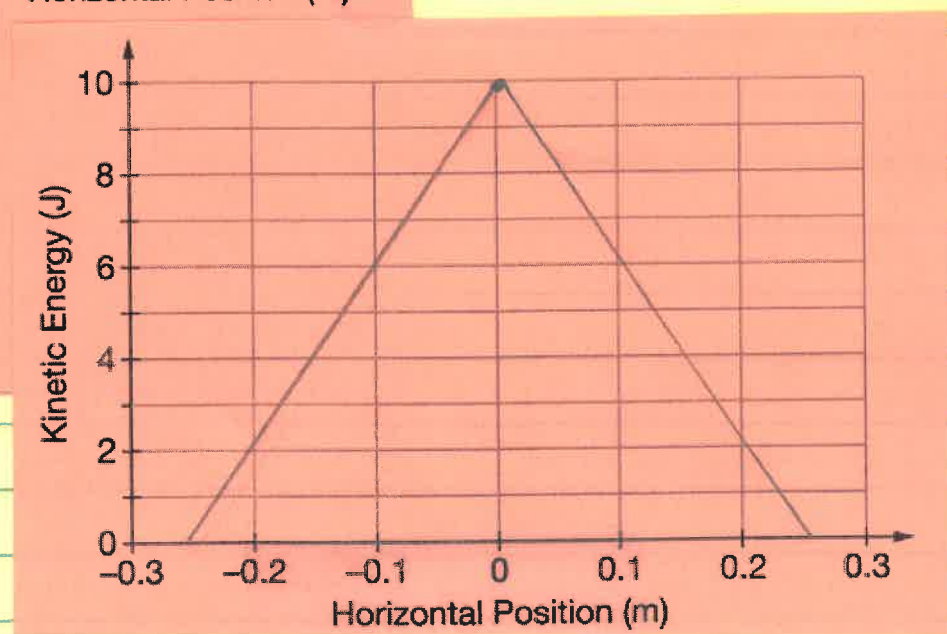
See graph B



Graph A

Horizontal Position (m)

Graph B



Kinetic Energy (J)

Horizontal Position (m)